## Crystal Oscillator

## Crystal Oscillator

- Piezoelectric crystal (quartz)
- Operates as a resonant circuit
- Shows great stability in oscillation frequency
- Piezoelectric effect : When mechanical stress is applied accross one of its faces, a differential potential developes accross the opposite faces
- Similarly, a voltage applied accross one set of faces of crystal causes mechanical distortion in the crystal shape


Circuit symbol


## Crystal Oscillator



- When alternating voltage is applied to a crystal, mechanical vibrations are set up
- These vibrations have a natural resonant frequency dependent on the crystal
- The crystal action can be represented by an equivalent electrical resonant circuit as shown in the figure


## Crystal Oscillator



- Such a crystal can have two resonant frequencies
- One occurs when the reactances of the series RLC leg are equal (and opposite)
- For this condition, the series-resonant impedance is very low (equal to $R$ )
- The other resonant condition occurs at a higher frequency when the reactance of the seriesresonant leg equals the reactance of capacitor $C_{M}$
- This is a parallel resonance or antiresonance condition of the crystal
- At this frequency, the crystal offers a very high impedance to the external circuit as shown in the
 figure on the right


## Crystal Oscillator



- Figure on the left depicts Crystal-controlled oscillator using a crystal (XTAL) in a series-feedback path
- The current fed back reaches its maximum when XTAL is at its minimum impedance $\left|Z_{\text {min }}\right|$
- This occurs at $\mathrm{f}=\mathrm{f}_{1}=\mathrm{f}_{\text {resonance }}$ of XTAL.



## Power Amplifiers

## Power Amplifiers

- We have seen linear amplifiers so far
- Signal amplitude is changed and a phase shift (delay in time domain) are introduced


$$
\begin{aligned}
& \text { For } V_{i}=3 V_{p-p}, R_{1}=1 K \Omega \text { and } R_{f}=3 K \Omega \\
& \qquad V_{o}=3 \times\left(1+\frac{3 K}{1 K}\right)=12 V_{p-p}
\end{aligned}
$$

The focus is on the amplification, not the power

## Power Amplifiers

- In small-signal amplifiers, main factors are usually amplification linearity and magnitude of gain
- Since signal voltage and current are small, the amount of power-handling capacity and power efficiency are of little concern
- Large-signal or power amplifiers, on the other hand, primarily provide sufficient power to an output load to drive a speaker or other power device, typically a few watts to tens of watts
- In this lecture, we concentrate on amplifier circuits used to handle large-voltage signals at moderate to high current levels
- The main features of a large-signal amplifier are the circuit's power efficiency, the maximum amount of power that the circuit is capable of handling, and the impedance matching to the output device


## Power Amplifiers



## DC Operation

- A dc load line is drawn using the values of $V_{c c}$ and $R_{C}$
- The intersection of the dc bias value of $I B$ with the dc load line then determines the operating point ( $Q$-point) for the circuit
- The quiescent-point values are those calculated using

$$
\begin{gathered}
I_{B}=\frac{V_{C C}-0.7}{R_{B}} \\
I_{C}=\beta I_{B} \\
V_{C E}=V_{C C}-I_{C} R_{C}
\end{gathered}
$$

## Power Amplifiers



## AC Operation

- When an input ac signal is applied to the amplifier on the left , the output will vary from its dc bias operating voltage and current
- A small input signal, as shown in Fig on the right, will cause the base current to vary above and below the dc bias point
- This will then cause the collector current (output) to vary from the dc bias point set as well as the collector-emitter voltage to vary around its dc bias value


## Power Amplifiers



## AC Operation

- As the input signal is made larger, the output will vary further around the established dc bias point until either the current or the voltage reaches a limiting condition
- For the current this limiting condition is
- zero current at the low end
- $V_{C C} / R_{C}$ at the high end of its swing
- For the collector-emitter voltage, the limit is
- 0 V at the low end
- the supply voltage, $V_{C C}$ at the high end


## Power Amplifiers



When the signal amplitudes get larger, we are concerned more with the power than the amplification.
Our concerns are:

- How much input power is consumed?
- What is the power efficiency?
- Will transistors withstand these powers?
etc.



## Power Amplifiers



## Power Considerations

- The power into an amplifier is provided by the supply voltage
- With no input signal, the dc current drawn is the collector bias current $I_{c Q}$
- The power then drawn from the supply is

$$
P_{i}(\mathrm{dc})=V_{C C} I_{C_{Q}}
$$



## Power Amplifiers



## Power Considerations

- The output voltage and current varying around the bias point provide ac power
- This ac power is delivered to the load $R_{C}$
- The ac signal $V_{i}$ causes the base current to vary around the dc bias current and the collector current around its quiescent level $I_{C Q}$
- The ac power delivered to the load $\left(R_{C}\right)$ may be expressed using RMS values

$$
P_{o}(\mathrm{ac})=V_{C E}(\mathrm{rms}) I_{C}(\mathrm{rms})
$$



$$
P_{o}(\mathrm{ac})=I_{C}^{2}(\mathrm{rms}) R_{C}
$$

$$
P_{o}(\mathrm{ac})=\frac{V_{C}^{2}(\mathrm{rms})}{R_{C}}
$$

## Power Amplifiers

## Root Mean Square (RMS)

- The RMS value is the square root of the arithmetic mean of the square of the function that defines the continuous waveform.

$$
f_{\mathrm{rms}}=\sqrt{\frac{1}{T_{2}-T_{1}} \int_{T_{1}}^{T_{2}}[f(t)]^{2} d t}
$$



$$
\square
$$



| Function | RMS |
| :---: | :---: |
| Sine with peak $\mathrm{V}_{\mathrm{p}}$ | $\frac{V_{p}}{\sqrt{2}}$ |
| Square with peak $\mathrm{V}_{\mathrm{p}}$ | $V_{r m s}=\frac{V_{p}}{\sqrt{2}}=\frac{V_{p p}}{2 \sqrt{2}}$ |
| Triangle with peak $\mathrm{V}_{\mathrm{p}}$ | $\frac{V_{p}}{\sqrt{3}}$ |
|  |  |



## Power Amplifiers



## Efficiency

The efficiency of an amplifier represents the amount of ac power delivered (transferred) from the dc source

$$
\% \eta=\frac{P_{o}(\mathrm{ac})}{P_{i}(\mathrm{dc})} \times 100 \%
$$

## Maximum Efficiency

Maximum efficiency can be determined using the maximum voltage and current swings

$$
\begin{gathered}
V_{C E(\max )}=V_{C C} \Rightarrow V_{C E Q(R M S)}=\frac{V_{C C}}{2 \sqrt{2}} \\
\mathrm{I}_{\mathrm{CC}(\max )}=\frac{\mathrm{V}_{\mathrm{CC}}}{\mathrm{R}_{\mathrm{C}}} \Rightarrow I_{C C Q(R M S)}=\frac{V_{C C}}{R_{C} 2 \sqrt{2}} \\
P_{o}(a c)=I_{o(R M S)} \times V_{o(R M S)}=\frac{V_{C C}^{2}}{8 R_{C}}
\end{gathered}
$$

## Power Amplifiers



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\begin{gathered}
V_{C E Q(\max )}=V_{C C} \\
\mathrm{I}_{\mathrm{CQ}(\max )}=\frac{\mathrm{V}_{\mathrm{CC}}}{2 \mathrm{R}_{\mathrm{C}}} \\
P_{i}(d c)=\frac{V_{C C}^{2}}{2 R_{C}} \Rightarrow \eta=\frac{1}{4}=0.25
\end{gathered}
$$

## Power Amplifiers

## Efficiency

How can I increase efficiency?
Change operation point?

## Amplifier Types:

- Class A: Output varies for a full $360^{\circ}$ of the input
- Figure shows $Q$-point should be biased so that at least half the signal swing of the output may vary up and down without going to a high enough voltage to be limited by the supply voltage level or too low to approach the lower supply level, or 0 V in this description.

(a)


## Power Amplifiers

## Amplifier Types:

- Class B: Provides an output varying over one-half the input signal cycle, or for $180^{\circ}$ of signal
- Figure shows DC bias point is at 0 V , with the output then varying from this bias point for a half-cycle
- Obviously, the output is not a faithful reproduction of the input if only one half-cycle is present
- Two class B operations—one to provide output on the positive-output halfcycle and another to provide operation on the negative-output half-cycleare necessary
- The combined half-cycles then provide an output for a full $360^{\circ}$ of
 operation. This type of connection is referred to as push-pull operation.


## Power Amplifiers

## Amplifier Types:

- Class AB: An amplifier may be biased at a dc level above the zero-base-current level of class B and above one-half the supply voltage level of class A -> this bias condition is class AB
- Class $A B$ operation still requires a push-pull connection to achieve a full output cycle, but the dc bias level is usually closer to the zero-base-current level for better power efficiency
- For class AB operation, the output signal swing occurs between $180^{\circ}$ and $360^{\circ}$ and is neither class A nor class B operation
- Class C: The output of a class C amplifier is biased for operation at less than $180^{\circ}$ of the cycle and will operate only with a tuned (resonant) circuit, which provides a full cycle of operation for the tuned or resonant frequency
- This operating class is therefore used in special areas of tuned circuits, such as radio or communications.
- Class D: This operating class is a form of amplifier operation using pulse (digital) signals, which are on for a short interval and off for a longer interval
- Using digital techniques makes it possible to obtain a signal that varies over the full cycle (using sampleand- hold circuitry) to recreate the output from many pieces of input signal
- The major advantage of class D operation is that the amplifier is "on" (using power) only for short intervals and the overall efficiency can practically be very high.


## Power Amplifiers

Can we obtain better efficiency with an A-Class amplifier?


$$
\begin{gathered}
\frac{V_{2}}{V_{1}}=\frac{N_{2}}{N_{1}} \quad \& \quad \frac{I_{2}}{I_{1}}=\frac{N_{1}}{N_{2}} \Rightarrow \frac{R_{L}}{R_{L}^{\prime}}=\frac{\frac{V_{2}}{I_{2}}}{\frac{V_{1}}{I_{1}}}=\left(\frac{N_{2}}{N_{1}}\right)^{2}=a^{2} \\
R_{1}=a^{2} R_{2} \text { or } R_{L}^{\prime}=a^{2} R_{L}
\end{gathered}
$$

## Power Amplifiers

Can we obtain better efficiency with an A-Class amplifier?

- Transformer winding resistance determines the dc load line
- Typically, this dc resistance is small (ideally $0 \Omega$ )
- A $0 \Omega$ dc load line is a straight vertical line
- There is no dc voltage drop across the $0 \Omega$ dc load resistance, and the load line is drawn straight vertically from the voltage point, $V_{C E Q}=V_{C C}$
- Q point can be obtained at the point of intersection of the dc load line and the base current set by the circuit
- For ac analysis, calculate ac load resistance "seen" looking into the primary side of the transformer $\left(R_{L}{ }^{\prime}\right)$
- Draw the ac load line so that it passes through the operating point and has a slope equal to $-1 / R_{L}{ }^{\prime}$
- Notice that the ac load line shows that the output signal swing can exceed the value of $\mathrm{V}_{\mathrm{cc}}$ !



## Power Amplifiers

Values of the peak-to-peak signal swings are

$$
\begin{gathered}
V_{C E}(p-p)=V_{C E_{\max }}-V_{C E_{\min }} \\
I_{C}(p-p)=I_{C_{\max }}-V_{C_{\min }}
\end{gathered}
$$

$$
P_{o}(\mathrm{ac})=\frac{\left(V_{C E_{\max }}-V_{C E_{\min }}\right)\left(I_{C_{\max }}-I_{C_{\min }}\right)}{8}
$$

Voltage delivered to the load for an ideal transformer:

$$
V_{L}=V_{2}=\frac{N_{2}}{N_{1}} V_{1} \Rightarrow P_{L}=\frac{V_{L}^{2}(r m s)}{R_{L}}
$$

or

$$
I_{L}=I_{2}=\frac{N_{1}}{N_{2}} I_{C} \Rightarrow P_{L}=I_{L}^{2}(r m s) R_{L}
$$




## Power Amplifiers

## Efficiency:

- So far we have considered calculating the ac power delivered to the load
- We next consider the input power from the battery, power losses in the amplifier, and the overall power efficiency of the transformer-coupled class A amplifier
- The input (dc) power obtained from the supply is calculated from the supply dc voltage and the average power drawn from the supply:

$$
P_{i}(d c)=V_{C C} I_{C Q}
$$

- For the transformer-coupled amplifier, the power dissipated by the transformer is small (due to the small dc resistance of a coil) and will be ignored
- Power loss considered is that dissipated by the power transistor

$$
P_{Q}=P_{i}(d c)-P_{o}(a c)
$$

Maximum Theoretical Efficiency: For a class A transformer-coupled amplifier, the maximum theoretical efficiency goes up to $50 \%$. Based on the signals obtained using the amplifier, the efficiency can be expressed as

$$
\% \eta=50\left(\frac{V_{C E_{\max }}-V_{C E_{\min }}}{V_{C E_{\max }}+V_{C E_{\min }}}\right)^{2} \%
$$




## Power Amplifiers

## Example:

Calculate the ac power delivered to the $8-\Omega$ speaker for the circuit. The circuit component values result in a dc base current of 6 mA , and the input signal $\left(V_{i}\right)$ results in a peak base current swing of 4 mA .


## Power Amplifiers

## Example:

Calculate the ac power delivered to the $8-\Omega$ speaker for the circuit. The circuit component values result in a dc base current of 6 mA , and the input signal $\left(V_{i}\right)$ results in a peak base current swing of 4 mA .

Solution: The dc load line is drawn vertically from the voltage point:
$V_{C E Q}=V_{C C}=10 \mathrm{~V}$
For $I_{B}=6 \mathrm{~mA}$, the operating point is
$V_{C E Q}=10 \mathrm{~V}$ and $I_{C Q}=140 \mathrm{~mA}$


## Power Amplifiers

Solution: The effective ac resistance seen at the primary is

$$
R_{L}^{\prime}=\left(\frac{N_{1}}{N_{2}}\right)^{2} R_{L}=72 \Omega
$$

The ac load line can then be drawn of slope $-1 / 72$ going through the indicated operating point
To help draw the load line, consider the following procedure: Mark point $A$ for a current swing of

$$
\mathrm{I}_{\mathrm{C}}=\frac{\mathrm{V}_{\mathrm{CE}}}{{R_{L}{ }^{\prime}}^{\prime}}=\frac{10 \mathrm{~V}}{72 \Omega}=139 \mathrm{~mA}
$$

$I_{C E Q}+I_{C}=140 \mathrm{~mA}+139 \mathrm{~mA}=279 \mathrm{~mA}$ along the $y$-axis Connect point $A$ through the $Q$-point to obtain the ac load line For the given base current swing of 4 mA peak, the max. and min. collector current and collector-emitter voltage obtained from the figure are, respectively,

$$
\begin{array}{cl}
V_{C E_{\min }}=1.7 \mathrm{~V} & I_{C_{\min }}=25 \mathrm{~mA} \\
V_{C E_{\max }}=18.3 \mathrm{~V} & I_{C_{\max }}=255 \mathrm{~mA}
\end{array}
$$

## Power Amplifiers

Solution: Connect point $A$ through the $Q$-point to obtain the ac load
line
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\end{array}
$$

The ac power delivered to the load can then be calculated as

$$
\begin{gathered}
P_{o}(a c)=\frac{\left(V_{C E_{\max }}-V_{C E_{\min }}\right)\left(I_{C_{\max }}-I_{C_{\min }}\right)}{8} \\
=\frac{(18.3 \mathrm{~V}-1.7 \mathrm{~V})(255 \mathrm{~mA}-25 \mathrm{~mA})}{8}=0.477 \mathrm{~W}
\end{gathered}
$$

## Power Amplifiers

Example: Calculate the dc input power, power dissipated by the transistor, and efficiency of the circuit for the input signal


## Power Amplifiers

Example: Calculate the dc input power, power dissipated by the transistor, and efficiency of the circuit for the input signal

## Solution:

$$
\begin{gathered}
P_{i}(d c)=V_{C C} I_{C Q}=(10 \mathrm{~V})(140 \mathrm{~mA})=1.4 \mathrm{~W} \\
P_{Q}(d c)=P_{i}(d c)-P_{o}(d c)=1.4 \mathrm{~W}-0.477 \mathrm{~W}=0.92 \mathrm{~W}
\end{gathered}
$$

The efficiency of the amplifier is:

$$
\% \eta=\frac{P_{o}(a c)}{P_{i}(d c)} \times 100 \%=\frac{0.477 \mathrm{~W}}{1.4 \mathrm{~W}} \times 100 \%=34.1 \%
$$



## Power Amplifiers

Class B Amplifiers: Class B operation is provided when the dc bias leaves the transistor biased just off, the transistor turning on when the ac signal is applied

- This is essentially no bias, transistor conducts current for only one-half of the signal cycle
- To obtain output for full cycle, use two transistors, have each conduct on opposite half-cycles
- Combined operation provides full cycle output
- Since one part of the circuit pushes the signal high during one half-cycle and the other part pulls the signal low during the other halfcycle, circuit is called a push-pull circuit
- Figure shows a diagram for push-pull operation



## Power Amplifiers

## Class B Amplifiers - Input (DC) Power

The amount of this input power can be calculated as

$$
P_{i}(d c)=V_{C C} I_{d c}
$$

where $I_{d c}$ is the average or dc current drawn from the power supplies and can be expressed as

$$
I_{d c}=\frac{2}{\pi} I(p)
$$

$I(p)$ : peak value of the output current.
Then

$$
P_{i}(d c)=V_{C C}\left(\frac{2}{\pi} I(p)\right)
$$

## Output (AC) Power

$$
P_{o}(a c)=\frac{V_{L}^{2}(r m s)}{R_{L}}=\frac{V_{L}^{2}(p-p)}{8 R_{L}}=\frac{V_{L}^{2}(p)}{2 R_{L}}
$$




## Power Amplifiers

## Class B Amplifiers - Efficiency

$$
\begin{gathered}
\% \eta=\frac{P_{o}(a c)}{P_{i}(d c)} \times 100 \% \\
=\frac{V_{L}^{2}(p) / 2 R_{L}}{V_{C C}[(2 / \pi) I(p)]} \times 100 \% \\
=\frac{\pi}{4} \frac{V_{L}(p)}{V_{C C}} \times 100 \%
\end{gathered}
$$


using $I(\mathrm{p})=V_{L}(\mathrm{p}) / R_{L}$
The larger the peak voltage, the higher the efficiency, up to a maximum value when $V_{L}(p)=V_{C C}$, this maximum efficiency then being

$$
\text { maximum efficiency }=\frac{\pi}{4} \times 100 \%
$$

$$
=78.5 \%
$$



## Power Amplifiers

## Class B Amplifiers - Push-Pull Signals



## Power Amplifiers

## Class B Amplifiers - Push-Pull Signals



